## Matf <br>  Mess

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## 'This We K's Colloquium

Sadly, there will be no colloquium this week! Fill the void by sharing math with someone you love. ©

## $\mathcal{C O N G R A T H L A T I O \mathcal { N } S ! !}$

We extend a huge Congratulations to Professor Jill Dietz who found out Monday that she was awarded tenure and promotion to Associate Professor of Mathematics!! Congratulations!

## Career Column

Career of the Week: Actuary
(Each week this semester, we will describe a career that uses mathematics)
An actuary evaluates the financial implications of uncertain future events. For example, actuaries determine how much a homeowner should pay for insurance or how much money a life insurance company should set aside to pay its anticipated claims in a given year. Actuaries are employed by companies that deal with insurance, employee benefits, and pensions. Their work involves mathematics, business issues and trends, law, and economics.

To be a fully accredited actuary, one must pass a series of eight exams. The first one covers calculus and probability and can be taken while you are at Saint Olaf. The next exam will be given on May

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Well, it's time to start tuning up for the infamous $\mathrm{N}^{\text {th }}$ Annual Math Recital! Turn the page for more details:

Date: Wednesday, April 17th
Time: $\quad 7: 00 \mathrm{pm}$ until $8: 30 \mathrm{pm}$
Location: Ytterboe Lounge
Attraction: Student and Faculty talent. Good Food.
More Info: If you are interested in performing, please contact Steve McKelvey at x3421.

## Konfauser Results

The 10th Annual Konhauser Problemfest was held this past Saturday at St. Thomas. 22 teams from 5 colleges participated, including 4 from St. Olaf. The team of Jason Grimm, Erik P. Johnson, and Michael Zahniser finished fourth overall, a fine showing; the pizza trophy remains somewhere in Northfield. Congratulations and thanks to all those who participated.
Get out your calendars - next year's contest will be at St. Olaf, on February 22, 2003, and take note: there will be donuts! But don't wait that long Stop by this Wed night (SC182, 7pm) to discuss problems from this year's contest with the problem guy (donuts provided!).

## Last Week's Solution

Last week's problem: The triangular numbers: $1,3,6,10$, are those which can be depicted by a triangular array of dots, each row having one more dot than the row above it. The question is, which triangular numbers are also perfect squares? Are there infinitely many?
Solution: Yah, you betcha there are infinitely many solutions. Jerad Parish found the first three - 1, 36, and 1225 - and Matt Bills and Gretchen Riewe found the first seven (!), which is almost infinitely many. Jerad discovered that $\mathrm{m}^{2}$ is also a triangular number whenever $8 \mathrm{~m}^{2}+1$ is a perfect square. In fact, if $8 \mathrm{~m}^{2}+1=\mathrm{k}^{2}(*)$, then $\mathrm{m}^{2}$ is the
triangular number $1+2+\ldots+\mathrm{n}$, where $\mathrm{k}=2 \mathrm{n}+1$. $\mathrm{m}=1, \mathrm{k}=3$ is the first solution to $\left({ }^{*}\right)$.

Note that in subsequent solutions, $\mathrm{k} / \mathrm{m}$ will get successively closer to $\sqrt{ } 8$. We can find more solutions by putting $\mathrm{k} / \mathrm{m}=3 / 1$ into the "Babylonian Square Root Thingie": $x_{\text {new }}=1 / 2 \quad\left(x_{\text {old }}+8 / x_{\text {old }}\right)$. Feeding in $3 / 1$, this spits out $17 / 6$; feeding in $17 / 6$, it spits out $577 / 204$, which yield the triangularsquare numbers $6^{2}=36$ and $204^{2}=41616$ respectively. By this process, every denominator squared will be a triangular-square number, but we'll miss some. To find out how to find the ones we missed, and how to get an actual formula which generates all triangular-square numbers, you're going to have to subscribe to the math-probsolv email list.

## Problem of the Week

Something different this week, brought to us by Paul Zorn and Barry Cipra.
In a recent newspaper column, Molly Ivins wrote as follows:
... The wealth of the Forbes 400 richest Americans grew an average $\$ 1.44$ billion each from 1997-2000, for an average daily increase of wealth of $\$ 1,920,000$ per person. That's 6,602 times the U.S. minimum wage.

At first glance, these numbers seem fishy. For instance, dividing $\$ 1.44$ billion by 1095 (the number of days in 3 years) gives about $\$ 1,315,000$ per day, not $\$ 1,920,000$. But (fairly) good sense *can* be made of all these numbers if we interpret things correctly and if we correct one tiny mathematical/typographical error (it involves a missing digit).
Make sense of the numbers.
** Please submit all solutions to David Molnar (molnar@stolaf.edu) by noon on Sunday.

If you would like to receive a copy of the Math Mess in your P.O. Box weekly, please e-mail Donna Brakke at brakke@stolaf.edu.

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